Name: $\qquad$ KEY $\qquad$
One of your peers missed class where we learned about the geometry of circles. Create a page of notes below to help them understand what they missed.

A circle is the set of all points in a plane that are the same distance from a point called the
$\qquad$ center $\qquad$ -.


All circles have a radius and a diameter. The diameter is the distance $\qquad$ across the circle $\qquad$ through the center. The radius is the distance from the center to any point on the circle. It is $\qquad$ half $\qquad$ of the diameter.

Example: If the diameter $=4 \mathrm{~cm}$, the radius $=$ $\qquad$ 2 $\qquad$ cm

Example: If the radius $=9$ inches, the diameter $=$ $\qquad$ 18 $\qquad$ inches

For a polygon (a 2-D shape with straight lines), the distance around the figure is called the _perimeter__. For a circle, the distance around the figure is called the $\qquad$ circumference $\qquad$ of the circle. We use the letter ' $C$ ' to represent this. The ratio of the circumference to the diameter, circumference/diameter, is the same for every circle and is represented by the Greek letter, _ $\pi_{-}$, read as _pi__.


Another way to write the Circumference formula is $C=\pi * d$
(It is helpful to remember that pi is approximately equal to $\qquad$ 3. 14 $\qquad$ or 22/7)

If you're asked to find how much area is covered by a circle (think grass seed covering a lawn, fertilizer on a field, paint on a wall) use the formula,
$A=\pi^{*} r^{2}$

In the picture on the right, the shaded region inside the circle is the area.
Don't forget the units are squared for area!


Here's an example of finding circumference and area.


$$
\begin{aligned}
& \text { Area }=\pi r^{2} \\
& \text { Area }=\_(3.14)\left(2.5^{2}\right) \_ \\
& \text {Area }=\_19.6 \mathrm{~m}^{2}
\end{aligned}
$$

If you're dealing with a semicircle (we learned this means an $\qquad$ $\operatorname{arc}$ $\qquad$ that is
$\qquad$ half $\qquad$ of a circle), don't forget to multiply by __ $1 / 2$ $\qquad$ This is the same as dividing by $\qquad$ -

If you have a quarter circle, then you would multiply by __ $1 / 4$ $\qquad$ or divide by $\qquad$ 4._._.

We also learned about shapes that are made up of two or more other shapes. These are called ___composite_ $\qquad$ shapes. Here's an example of a square and a semicircle.


## Composite shape

In order to find the perimeter of this shape, we have to pick a corner point to start at and travel ALL THE WAY around $\qquad$ the object until we get back to where we started. The measure of each side length or arc around the outside must be added together to find the TOTAL perimeter.
$>$ Here is the formula for the perimeter of this shape: $\qquad$ $3 s$ $\qquad$ $+$ $\qquad$ $1 / 2 \pi \mathrm{~d}$ $\qquad$ (Each side of the square has a length of " $s$ ". Since only 3 of the 4 sides are on the OUTSIDE of the shape, we only add 3 of them in the perimeter)

In order to find the area of a shape like this, we have to $\qquad$ _add $\qquad$ the area of the square to the area of the circle.
> Here is the formula for the total area of this shape: $\qquad$ $\mathrm{s}^{2} \ldots+$ $\qquad$ $1 / 2 \pi r^{2}$ $\qquad$

